

# Curriculum Errata Notice

## 2024 Level III CFA Program

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***UPDATED 27 August 2025***

This document outlines the errors submitted to CFA Institute that have been corrected.

Due to the nature of our publishing process, we may not be able to correct errors submitted after 1 September 2024 in time for the publication of the following year's print materials. However, we update all errors in the Learning Ecosystem (LES) and in this document at the end of each month.

We recommend checking either the LES or this document regularly for the most current information. Depending on when you purchase the print materials, they may or may not have the errors corrected.



All errors can be submitted via <https://cfainst.is/errata>

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# Portfolio Management, Vol. 1

## Capital Market Expectations, Part 1: Framework and Macro Considerations

| Lesson                                   | Location                             | PDF Pg | Revised      | Correction  |  |
|--|--------------------------------------|--------|--------------|---|--|
| Challenges in Forecasting                | The Argentine Peso Devaluations      | 13     | 10 May 2024  | Replace:<br>The currency was allowed to fluctuate freely, and the peso further depreciated to 3.8 ARS/USD by June 2001. | With:<br>The currency was allowed to fluctuate freely, and the peso further depreciated to 3.8 ARS/USD by <b>June 2002</b> . |
| Analysis of Monetary and Fiscal Policies | Example 12 Guideline - Solution to 3 | 40     | 29 July 2024 | Replace:<br>Short-term market interest rates will be dragged downward by weak demand and inflation.                     | With:<br>Short-term market interest rates will be dragged downward by weak demand and <b>deflation</b> .                     |

## Capital Market Expectations, Part 2: Forecasting Asset Class Returns

| Lesson                           | Location                  | PDF Pg | Revised     | Correction  |  |
|----------------------------------|---------------------------|--------|-------------|---|--|
| Forecasting Fixed Income Returns | Example 1 - Solution to 1 | 71     | 10 May 2024 | <p>Replace:<br/>Reinvesting for three more years at the 2.0% higher rate adds another 6.0% to the cumulative return, so the five-year annual return would be approximately 0.46% [= <math>3.25 + (1 + 1.0 + 6.0)/5</math>].</p> <p>With an additional two years of reinvestment income, the seven-year annual return would be about 1.99% [= <math>1 + (-9.68 + 1.0 + 6.0 + 4.0)/7</math>].</p> | <p>With:<br/>Reinvesting for three more years at the 2.0% higher rate adds another 6.0% to the cumulative return, so the five-year annual return would be approximately 0.46% [= <math>1.0 + (-9.68 + 1.0 + 6.0)/5</math>].</p> <p>With an additional two years of reinvestment income, the seven-year annual return would be about <b>1.19%</b> [= <math>1 + (-9.68 + 1.0 + 6.0 + 4.0)/7</math>].</p> |

| Lesson                     | Location              | PDF Pg | Revised     | Correction  |  |
|----------------------------|-----------------------|--------|-------------|---|--|
| Forecasting Equity Returns | Last sentence on page | 87     | 15 Feb 2024 | Replace:<br>Adding in the risk-free rate, the expected returns for German shares and bonds would be 4.93% and 42.16%, respectively.   | With:<br>Adding in the risk-free rate, the expected returns for German shares and bonds would be 4.93% and <b>2.16%</b> , respectively.      |
| Solutions                  | Solution to 1         | 127    | 15 Feb 2024 | Replace:<br>Estimate of the expected return of an equal-weighted investment in the three securities: $(1\% + 2\% + 3.3\%)/3 = 42.1\%$ | With:<br>Estimate of the expected return of an equal-weighted investment in the three securities: $(1\% + 2\% + 3.3\%)/3 = \mathbf{2.1\%}$ . |

## Principles of Asset Allocation

| Lesson    | Location      | PDF Pg | Revised        | Correction  |  |
|-----------|---------------|--------|----------------|---|--|
| Solutions | Solution to 7 | 295    | 14 August 2025 | Replace:<br>In this example, there are four asset classes, and the variance of the total portfolio is assumed to be 25%; therefore, using a risk parity approach, the allocation to each asset class is expected to contribute $(1/4 \times 25\%) = 6.25\%$ of the total variance. Because bonds have the lowest covariance, they must have a higher relative weight to achieve the same contribution to risk as the other asset classes. | With:<br>In this example, there are four asset classes, and the variance of the total portfolio is assumed to be 25%; therefore, using a risk parity approach, the allocation to each asset class is expected to contribute $(1/4 \times 25\%) = 6.25$ <b>or 25%</b> of the total variance. Because bonds have the lowest covariance, they must have a higher relative weight to achieve the same contribution to risk as the other asset classes. |

## Portfolio Management, Vol. 2

### Swaps, Forwards, and Future Strategies

| Lesson            | Location                              | PDF Pg | Revised     | Correction   |   |
|-------------------|---------------------------------------|--------|-------------|--|---|
| Practice Problems | Information relating to questions 2-8 | 125    | 10 May 2024 | <p>Replace:</p> <p>Statement 1 If the basis is positive, a trade would make a profit by “selling the basis.”</p> <p>Statement 2 If the basis is negative, a trader would make a profit by selling the bond and buying the futures.</p> | <p>With:</p> <p><b>Statement 4</b> If the basis is positive, a trade would make a profit by “selling the basis.”</p> <p><b>Statement 5</b> If the basis is negative, a trader would make a profit by selling the bond and buying the futures.</p> |
| Practice Problems | Question 24                           | 131    | 10 May 2024 | <p>Replace:</p> <p>Explain how Ko can use this information to understand potential movements in the current federal funds rate.</p>  | <p>With:</p> <p>Explain how Ko can use this information to understand potential movements in the federal funds rate. <b>Calculate the probability of an increase in 25 bps in the target range.</b></p>   |

## Currency Management: An Introduction

| Lesson  | Location   | PDF Pg | Revised      | Correction  |   |
|---|--|--------|--------------|---|---|
| Foreign Exchange Concepts                         | Paragraph following bullet number 4                | 147    | 10 May 2024  | <p>Replace:</p> <p>In the example above, this would be done by redenominating the mark-to-market in USD, by selling 240,000 AUD 90-days forward against the USD at the prevailing USD/AUD 90-day forward bid rate.</p>  | <p>With:</p> <p>In the example above, this would be done by redenominating the mark-to-market in USD, by selling <b>206,000</b> AUD 90-days forward against the USD at the prevailing USD/AUD 90-day forward bid rate.</p>  |
| Forward Contracts, FX Swaps, and Currency Options | Table within Executing a Hedge and Paragraph after | 180    | 29 July 2024 | <p>Replace:</p> <p>JPY/HKD      14.4/14.4      -1.2/-1.1</p> <p>hus, the spot leg of the swap would be to buy JPY800,000,000 at the mid-market rate of 10.81 JPY/HKD.</p>   | <p>With:</p> <p>JPY/HKD      <b>14.40/14.42</b>      -1.2/-1.1</p> <p>hus, the spot leg of the swap would be to buy JPY800,000,000 at the mid-market rate of <b>14.41</b> JPY/HKD.</p>  |
| Forward Contracts, FX Swaps, and Currency Options | Example 4 - Solution to 1                          | 183    | 10 May 2024  | <p>Replace:</p> <p>Kwun Tong is long the GBP against the HKD, and HKD/GBP is selling at a small forward discount of -0.106% compared with the current spot rate.... However, the firm’s market strategist expects the GBP to depreciate by 3.92% against the HKD.</p> | <p>With:</p> <p>Kwun Tong is long the GBP against the HKD, and HKD/GBP is selling at a small forward discount of <b>0.099%</b> compared with the current spot rate.... However, the firm’s market strategist expects the GBP to depreciate by <b>3.77%</b> against the HKD.</p> |

| Lesson  | Location                  | PDF Pg | Revised       | Correction  |  |
|---|---------------------------|--------|---------------|---|--|
| Forward Contracts, FX Swaps, and Currency Options   | Example 4 - Solution to 2 | 184    | 10 May 2024   | Replace:<br>But the firm's strategist also forecasts that the ZAR will depreciate against the HKD by 2.2%.  | With:<br>But the firm's strategist also forecasts that the ZAR will depreciate against the HKD by <b>2.11%</b> .   |
| Currency Management Tools and Strategies: A Summary | Table within Example 8    | 203    | 10 May 2024   | Replace:<br>$\frac{s(\% \Delta S_{GBP/USD})}{2.7\%} \quad \sigma(R_{DC}) \quad 4.4\% \quad \frac{\rho(R_{DC}; \% \Delta S_{GBP/USD})}{0.2}$   | With:<br>$\frac{\sigma(\% \Delta S_{GBP/USD})}{2.7\%} \quad \sigma(R_{DC}) \quad 4.4\% \quad \frac{\rho(R_{DC}; \% \Delta S_{GBP/USD})}{0.2}$  |
| Practice Problems                                   | Practice Problem 14       | 217    | 10 May 2024   | Replace:<br>Overall returns can be enhanced by capturing opportunities between the US dollar and the Indian rupee (INR) within a range of plus or minus 25% from the neutral position using forward contracts on the currency pair.   | With:<br>Overall returns can be enhanced by capturing opportunities between the US dollar and the Indian rupee (INR) within a range of plus or minus 25% from the neutral position <b>consisting of 100% of the portfolio as valued in USD.</b>                                  |
| Practice Problems                                   | Practice Problem 33       | 223    | 19 April 2024 | Replace:<br>Calculate the net cash flow (in euros) to maintain the desired hedge.   | With:<br>Calculate the net cash flow (in euros) <b>as of today</b> to maintain the desired hedge.  |
| Solutions   | Solution to 33            | 236    | 10 May 2024   | Replace calculation under 1:<br>USD2,500,000 / 1.1575 = EUR2,816,901.<br><br>Replace calculation under 2:<br>USD2,650,000 / 1.1583 = EUR2,977,193.<br><br>Replace text under 3:<br>Therefore, the net cash flow is equal to EUR2,977,193 – EUR2,816,901 which is equal to EUR160,292. | With:<br><b>(USD 2,500,000)/ ( USD 1.1575/ EUR) = EUR 2,159,827</b><br><br>With:<br><b>(USD 2,650,000)/ ( USD 1.1583/EUR) = EUR 2,287,835.</b><br><br>With:<br>Therefore, the net cash flow is equal to <b>EUR2,287,835 - EUR 2,159,827</b> which is equal to <b>EUR128,008.</b> |

## Overview of Fixed-Income Portfolio Management

| Lesson                           | Location                  | PDF Pg | Revised       | Correction  |
|----------------------------------|---------------------------|--------|---------------|---|
| Fixed-Income Portfolio Measures  | Second bullet             | 250    | 26 April 2024 | <p>Replace:<br/>Coupon-paying bonds have more convexity than zero-coupon bonds of the same duration: A 30-year coupon-paying bond with a duration of approximately 18 years has more convexity than an 18-year zero-coupon bond.</p> <p>With:<br/>Coupon-paying bonds have more convexity than zero-coupon bonds <del>of the same duration</del>: A 30-year coupon-paying bond with a duration of approximately 18 years has more convexity than an 18-year zero-coupon bond.</p>   |
| Bond Market Liquidity            | Third bullet point        | 258    | 1 May 2024    | <p>Move the third bullet point:<br/>As a funding cost arbitrage transaction, the TRS can allow investors to gain particular access to subsets of the fixed-income markets, such as bank loans or high-yield instruments for which cash markets are relatively illiquid or the cost and administrative complexity of maintaining a portfolio of these instruments is prohibitive for the investor.</p> <p>To the paragraph preceding bulleted list:<br/>The potential for both a smaller initial cash outlay and lower swap bid–offer costs compared with the transaction costs of direct purchase or use of a mutual fund or ETF are the most compelling reasons to consider a TRS to add fixed-income exposure. <b>As a funding cost arbitrage transaction, the TRS can allow investors to gain particular access to subsets of the fixed-income markets, such as bank loans or high-yield instruments for which cash markets are relatively illiquid or the cost and administrative complexity of maintaining a portfolio of these instruments is prohibitive for the investor.</b></p> |
| A Model for Fixed-Income Returns | Equation 6                | 260    | 15 Feb 2024   | <p>Replace:<br/><math>E(\text{Change in price based on investor's views of yields and yield volatility})</math><br/><math>= (-\text{ModDur} \times \Delta\text{Yield}) + [\frac{1}{2} \times \text{Convexity} \times (\Delta\text{Spread})^2]</math></p> <p>With:<br/><b><math>E(\Delta\text{Price based on investor's view of yields and yield volatility})</math></b><br/><math>= (-\text{ModDur} \times \Delta\text{Yield}) + [\frac{1}{2} \times \text{Convexity} \times (\Delta\text{Yield})^2]</math></p>   |
| A Model for Fixed-Income Returns | Equation 7                | 261    | 15 Feb 2024   | <p>Replace:<br/><math>E(\Delta\text{Price based on investor's views of yield spreads})</math><br/><math>= (-\text{ModSpreadDur} \times \Delta\text{Spread}) + [\frac{1}{2} \times \text{Convexity} \times (\Delta\text{Yield})^2]</math>.</p> <p>With:<br/><math>(\Delta\text{Price based on investor's view of yield spreads})</math><br/><math>= (-\text{ModSpreadDur} \times \Delta\text{Spread}) + [\frac{1}{2} \times \text{Convexity} \times (\Delta\text{Spread})^2]</math></p>  |
| A Model for Fixed-Income Returns | Example 4 – Solution to 1 | 262    | 10 May 2024   | <p>Replace:<br/>In one year's time, assuming an unchanged yield curve and zero interest rate volatility, the rolldown return is <math>0.17\% = (£97.27 - £97.12)/£97.12</math>.<br/>The rolling yield, which is the sum of the coupon income and the rolldown return, is <math>3.00\% = 2.83\% + 0.17\%</math></p> <p>With:<br/>In one year's time, assuming an unchanged yield curve and zero interest rate volatility, the rolldown return is <b><math>0.15\% = (£97.27 - £97.12)/£97.12</math></b>.<br/>The rolling yield, which is the sum of the coupon income and the rolldown return, is <math>3.00\% = \mathbf{2.98\% + 0.15\%}</math></p>  |



| Lesson                           | Location   | PDF Pg | Revised     | Correction   |
|----------------------------------|------------|--------|-------------|--|
| A Model for Fixed-Income Returns | Exhibit 11 | 262    | 10 May 2024 | <p>Replace row:</p> <p>Expected average bond price in one year (assuming an unchanged yield curve)      £97.27</p> <p>Replace solution:</p> <p>In one year's time, assuming an unchanged yield curve and zero interest rate volatility, the rolldown return is 0.17% = <math>(£97.27 - £97.12)/£97.12</math>.</p> <p>With:</p> <p>Expected average bond price in one year (assuming an unchanged yield curve)      <b>£97.285</b></p> <p>With: In one year's time, assuming an unchanged yield curve and zero interest rate volatility, the rolldown return is 0.17% = <math>(£97.285 - £97.12)/£97.12</math>.</p> |
| A Model for Fixed-Income Returns | Exhibit 12 | 263    | 10 May 2024 | <p>Replace second calculation under column header Calculation:</p> <p><math>(£97.27 - £97.12)/£97.12 = 0.17\%</math></p> <p>With:</p> <p><math>(£97.285 - £97.12)/£97.12 = 0.17\%</math></p>   |

## Portfolio Management, Vol. 3

### Yield Curve Strategies

| Lesson                 | Location  | PDF Pg | Revised     | Correction   |
|------------------------|-----------|--------|-------------|--|
| Yield Curve Strategies | Example 3 | 16     | 15 Feb 2024 | <p>Replace:</p> <p>Rolldown return: The difference between the 10-year and 9.5- year PV with no change in yield-to-maturity of £262,363, or <math>[PV(0.029535/2, 20, 1.125, 100)] - [PV(0.024535/2, 19, 1.125, 100)] \times £1 \text{ million}]</math>.</p> <p>With:</p> <p>Rolldown return: The difference between the 10-year and 9.5- year PV with no change in yield-to-maturity of £262,363, or <math>[PV(0.029535/2, 20, 1.125, 100)] - [PV(0.029535/2, 19, 1.125, 100)] \times £1 \text{ million}]</math>.</p>   |
| Yield Curve Strategies | Example 4 | 17     | 15 Feb 2024 | <p>Replace:</p> <p>An investment manager who pursues the cash-based yield curve strategies described in Exhibit 5 faces an inverted yield curve (with a decline in long-term yields-to-maturity and a sharp increase in short-term yields-to-maturity) instead. Which of the following is the least likely portfolio outcome under this scenario?</p> <p>With:</p> <p>An investment manager who pursues the cash-based yield curve strategies described in Exhibit 5 faces an inverted yield curve (with a decline in long-term yields-to-maturity and a sharp increase in short-term yields-to-maturity) instead <b>of a static yield</b></p> |

| Lesson                 | Location                             | PDF Pg           | Revised           | Correction   |           |        |                  |                   |              |           |         |       |     |       |          |     |          |        |        |      |             |      |          |       |     |       |          |      |       |                   |                  |                   |              |           |         |       |     |       |          |     |          |        |        |      |             |      |          |       |     |       |          |      |
|------------------------|--------------------------------------|------------------|-------------------|--|-----------|--------|------------------|-------------------|--------------|-----------|---------|-------|-----|-------|----------|-----|----------|--------|--------|------|-------------|------|----------|-------|-----|-------|----------|------|-------|-------------------|------------------|-------------------|--------------|-----------|---------|-------|-----|-------|----------|-----|----------|--------|--------|------|-------------|------|----------|-------|-----|-------|----------|------|
|                        |                                      |                  |                   | <b>curve post implementation.</b> Which of the following is the least likely portfolio outcome under this scenario?  |           |        |                  |                   |              |           |         |       |     |       |          |     |          |        |        |      |             |      |          |       |     |       |          |      |       |                   |                  |                   |              |           |         |       |     |       |          |     |          |        |        |      |             |      |          |       |     |       |          |      |
| Yield Curve Strategies | End of second paragraph in Example 7 | 22               | 21 August 2025    | Replace:<br>We can therefore solve for the modified duration of the 2-year zero as 1.96 (= 2/1.02) and the 10-year zero as 9.62 (= 10/1.04), so net portfolio duration equals zero, or $(124.6 - 25.41 \times 1.96) + (-25.4/124.6 - 25.41 \times 9.62)$ .<br><br>With:<br>We can therefore solve for the modified duration of the 2-year zero as 1.96 (= 2/1.02) and the 10-year zero as 9.62 (= 10/1.04), so net portfolio duration equals zero, or <b><math>[(124.6/(124.6 - 25.41)) \times 1.96] + [(-25.41/(124.6 - 25.41)) \times 9.62]</math></b> .   |           |        |                  |                   |              |           |         |       |     |       |          |     |          |        |        |      |             |      |          |       |     |       |          |      |       |                   |                  |                   |              |           |         |       |     |       |          |     |          |        |        |      |             |      |          |       |     |       |          |      |
| Yield Curve Strategies | Table below Exhibit 19               | 27               | 15 Feb 2024       | Replace column header:<br><table><tr><th>Tenor</th><th>Coupon</th><th>Position (\$ MM)</th><th>Modified Duration</th><th>Position BPV</th><th>Convexity</th></tr><tr><td>Long 2y</td><td>0.25%</td><td>110</td><td>1.994</td><td>\$21,934</td><td>5.0</td></tr><tr><td>Short 5y</td><td>0.875%</td><td>-248.3</td><td>4.88</td><td>(\$121,170)</td><td>26.5</td></tr><tr><td>Long 10y</td><td>2.00%</td><td>110</td><td>9.023</td><td>\$99,253</td><td>90.8</td></tr></table><br>With:<br><table><tr><th>Tenor</th><th>Yield to Maturity</th><th>Position (\$ MM)</th><th>Modified Duration</th><th>Position BPV</th><th>Convexity</th></tr><tr><td>Long 2y</td><td>0.25%</td><td>110</td><td>1.994</td><td>\$21,934</td><td>5.0</td></tr><tr><td>Short 5y</td><td>0.875%</td><td>-248.3</td><td>4.88</td><td>(\$121,170)</td><td>26.5</td></tr><tr><td>Long 10y</td><td>2.00%</td><td>110</td><td>9.023</td><td>\$99,253</td><td>90.8</td></tr></table> | Tenor     | Coupon | Position (\$ MM) | Modified Duration | Position BPV | Convexity | Long 2y | 0.25% | 110 | 1.994 | \$21,934 | 5.0 | Short 5y | 0.875% | -248.3 | 4.88 | (\$121,170) | 26.5 | Long 10y | 2.00% | 110 | 9.023 | \$99,253 | 90.8 | Tenor | Yield to Maturity | Position (\$ MM) | Modified Duration | Position BPV | Convexity | Long 2y | 0.25% | 110 | 1.994 | \$21,934 | 5.0 | Short 5y | 0.875% | -248.3 | 4.88 | (\$121,170) | 26.5 | Long 10y | 2.00% | 110 | 9.023 | \$99,253 | 90.8 |
| Tenor                  | Coupon                               | Position (\$ MM) | Modified Duration | Position BPV   | Convexity |        |                  |                   |              |           |         |       |     |       |          |     |          |        |        |      |             |      |          |       |     |       |          |      |       |                   |                  |                   |              |           |         |       |     |       |          |     |          |        |        |      |             |      |          |       |     |       |          |      |
| Long 2y                | 0.25%                                | 110              | 1.994             | \$21,934   | 5.0       |        |                  |                   |              |           |         |       |     |       |          |     |          |        |        |      |             |      |          |       |     |       |          |      |       |                   |                  |                   |              |           |         |       |     |       |          |     |          |        |        |      |             |      |          |       |     |       |          |      |
| Short 5y               | 0.875%                               | -248.3           | 4.88              | (\$121,170)  | 26.5      |        |                  |                   |              |           |         |       |     |       |          |     |          |        |        |      |             |      |          |       |     |       |          |      |       |                   |                  |                   |              |           |         |       |     |       |          |     |          |        |        |      |             |      |          |       |     |       |          |      |
| Long 10y               | 2.00%                                | 110              | 9.023             | \$99,253   | 90.8      |        |                  |                   |              |           |         |       |     |       |          |     |          |        |        |      |             |      |          |       |     |       |          |      |       |                   |                  |                   |              |           |         |       |     |       |          |     |          |        |        |      |             |      |          |       |     |       |          |      |
| Tenor                  | Yield to Maturity                    | Position (\$ MM) | Modified Duration | Position BPV   | Convexity |        |                  |                   |              |           |         |       |     |       |          |     |          |        |        |      |             |      |          |       |     |       |          |      |       |                   |                  |                   |              |           |         |       |     |       |          |     |          |        |        |      |             |      |          |       |     |       |          |      |
| Long 2y                | 0.25%                                | 110              | 1.994             | \$21,934   | 5.0       |        |                  |                   |              |           |         |       |     |       |          |     |          |        |        |      |             |      |          |       |     |       |          |      |       |                   |                  |                   |              |           |         |       |     |       |          |     |          |        |        |      |             |      |          |       |     |       |          |      |
| Short 5y               | 0.875%                               | -248.3           | 4.88              | (\$121,170)  | 26.5      |        |                  |                   |              |           |         |       |     |       |          |     |          |        |        |      |             |      |          |       |     |       |          |      |       |                   |                  |                   |              |           |         |       |     |       |          |     |          |        |        |      |             |      |          |       |     |       |          |      |
| Long 10y               | 2.00%                                | 110              | 9.023             | \$99,253   | 90.8      |        |                  |                   |              |           |         |       |     |       |          |     |          |        |        |      |             |      |          |       |     |       |          |      |       |                   |                  |                   |              |           |         |       |     |       |          |     |          |        |        |      |             |      |          |       |     |       |          |      |
| Yield Curve Strategies | Equation 10                          | 34               | 10 May 2024       | Replace:<br>$\text{KeyRateDur}_k = \frac{1}{PV} \times \frac{\Delta PV}{\Delta r_k}$<br><br>With:<br>$\text{KeyRateDur}_k = \frac{1}{PV} \times \frac{\Delta PV}{\Delta r_k}$  |           |        |                  |                   |              |           |         |       |     |       |          |     |          |        |        |      |             |      |          |       |     |       |          |      |       |                   |                  |                   |              |           |         |       |     |       |          |     |          |        |        |      |             |      |          |       |     |       |          |      |

## Fixed-Income Active Management: Credit Strategies

| Lesson   | Location                | PDF Pg | Revised        | Correction   |
|--|-------------------------|--------|----------------|--|
| Key Credit and Spread Concepts for Active Management | Example 4               | 71     | 29 July 2024   | <p>Replace in Solution to 2 part 3:<br/>The bank bond YTM has risen by 0.16% to 2.73% (<math>=1.55\% + 1.29\%</math>).</p> <hr/> <p>Replace in Solution to 2 part 4:<br/>This change can be calculated as <math>-1.11\%</math> (<math>=-7.1 \times 0.16\%</math>).</p> <p>...<br/>New bank bond price: 99.39 (<math>=-PV(0.0284, 8, 2.75, 100, 0)</math>)<br/>Price change: <math>-1.11\%</math> (<math>= (99.39 - 100.50)/100.50</math>)</p> <p>With:<br/>The bank bond YTM has risen by <b>0.07%</b> to <b>2.75%</b> (<math>=1.55\% + 1.20\%</math>).</p> <hr/> <p>With:<br/>This change can be calculated as <b>-0.497%</b> (<math>=-7.1 \times 0.07\%</math>).</p> <p>...<br/>New bank bond price: <b>100</b> (<math>=-PV(0.0275, 8, 2.75, 100, 0)</math>)<br/>Price change: <b>-0.497%</b> (<math>= (100 - 100.50)/100.50</math>)</p>   |
| Key Credit and Spread Concepts for Active Management | Second to last sentence | 79     | 15 August 2024 | <p>Replace:<br/>For fixed-rate bonds priced at a spread over the benchmark, roll-down return from coupon income is higher by the bond's original credit spread.</p> <p>With:<br/>For fixed-rate bonds priced at a spread over the benchmark, <b>the roll-down</b> return from coupon income is higher by the bond's original credit spread.</p>  |
| Key Credit and Spread Concepts for Active Management | Example 10              | 80     | 15 August 2024 | <p>Replace:<br/>"A London-based investor wants to estimate the rolling yield roll-down return attributable to a fixed-rate..."</p> <p>"Calculate the annualized rolling yield of roll-down return to the UK corporate..."</p> <p>"Solve for the annualized difference in roll-down return rolling yield by calculating..."</p> <p>"The annualized roll-down return rolling yield difference is the 2.75% corporate bond..."</p> <p>With:<br/>"A London-based investor wants to estimate the rolling yield <b>roll-down return</b> attributable to a fixed-rate..."</p> <p>"Calculate the annualized rolling yield <b>of roll-down return</b> to the UK corporate..."</p> <p>"Solve for the annualized difference in <b>roll-down return</b> rolling yield by calculating..."</p> <p>"The annualized <b>roll-down return</b> rolling yield difference is the 2.75% corporate bond..."</p> |

| Lesson   | Location                   | PDF Pg | Revised        | Correction  |
|--|----------------------------|--------|----------------|---|
| Key Credit and Spread Concepts for Active Management | Equation 10                | 82     | 15 Feb 2024    | <p>Replace:<br/> <math>E[\text{ExcessSpread}] \approx \text{Spread}_0 - (\text{EffSpreadDur} \times \Delta\text{Spread}) - (\text{POD} \times \text{LGD})</math></p> <p>With:<br/> <math>E[\text{ExcessSpreadReturn}] \approx \text{Spread}_0 - (\text{EffSpreadDur} \times \Delta\text{Spread}) - (\text{POD} \times \text{LGD})</math></p>  |
| Credit Strategies                                    | Example 16 – Solution to 2 | 89     | 19 August 2024 | <p>Replace:<br/> B rated excess return is <math>-0.86\% = 3.5\% - (7 \times 0.35\%) - (3.19\% \times 60\%)</math>.</p> <p>The A rated bond is more attractive under this scenario.</p> <p>With:<br/> B rated excess return is <b><math>0.89\% = 3.5\% - (7 \times 0.1\% - (3.19\% \times 60\%))</math></b>.</p> <p>The <b>B</b> rated bond is more attractive under this scenario.</p>  |
| Credit Strategies                                    | Example 17                 | 90     | 15 August 2024 | <p>Replace:<br/> 10-year weight: <math>w_{10} = 0.50\% (= (20 - 10)/(15 - 10))</math><br/> 20-year weight: <math>w_{20} = 0.50\% (= (1 - w_{10}))</math></p> <p>With:<br/> 10-year weight: <math>w_{10} = \mathbf{0.5} (= (20 - 10)/(15 - 10))</math><br/> 20-year weight: <math>w_{20} = \mathbf{0.5} (= (1 - w_{10}))</math></p>  |
| Credit Strategies                                    | Exhibit 21                 | 94     | 14 August 2024 | <p>Replace:<br/> legend labels for the solid line "10-year Treasury" and for the dotted line with "BB yield spread"</p> <p>With:<br/> the legend labels for the solid line "BB yield spread" and for the dotted line with "10-year Treasury"</p>  |
| Liquidity and Tail Risk                              | Example 20                 | 101    | 10 May 2024    | <p>Replace:<br/> Consider the earlier case of an investor holding \$50 million face value of a 15-year bond with a coupon of 2.75%, a current YTM of 3.528%, and a price of 91 per 100 of face value. What is the VaR for the full bond price at a 99% confidence interval for one month (assuming 21 trading days in the month) if daily yield volatility is 1.75 bps and we assume a normal distribution?</p> <p>...</p> <p>First, we solve for the expected change in YTM based on a 99% confidence interval for the bond and a 1.75% yield volatility over 21 trading days, which equals 65.9 bps <math>= (6.174 \text{ bps} \times 2.33 \text{ standard deviations } \sqrt{21})</math>. We can quantify the bond's market value change using either a duration approximation or the actual price change as follows. We can use the Excel MDURATION function to solve for the bond's duration as 12.025. We can therefore approximate the change in bond value using the</p> <p>With:<br/> Consider the earlier case of an investor holding \$50 million face value of a 15-year bond with a <b>semiannual</b> coupon of 2.75%, a current YTM of 3.528%, and a price of 91 per 100 of face value. What is the VaR for the full bond price at a 99% confidence interval for one month if <b>annualized</b> daily yield volatility is <b>1.75% (1.75 bps)</b> and we assume <b>that interest rates are normally distributed</b>?</p> <p>...</p> <p>First, we <b>must adjust the annualized yield volatility to reflect one-month period instead. The time interval under consideration is 1/12<sup>th</sup> of a year, and therefore the volatility measure is 0.00505 (1.75% <math>\times \sqrt{1/12}</math>), which for a 99% confidence interval equals 117.7 bps <math>= (0.00505 \times 2.33 \text{ standard deviations})</math>. We <b>may</b> quantify the bond's market value change using either a duration approximation or the actual price change as follows. We can use the Excel MDURATION function to solve for the bond's</b></p> |

| Lesson                         | Location                   | PDF Pg | Revised           | Correction  |   |
|--------------------------------|----------------------------|--------|-------------------|---|---|
|                                |                            |        |                   | familiar (-Mod-Dur x $\Delta$ Yield) expression as \$3,605,636 = (\$50 million x 0.91 x (-12.025 x .00659)). We can also use the Excel PRICE function to directly calculate the new price of 88.982 and multiply the price change of 2.018 by the face value to get \$1,009,000.        | duration as 12.025. We can therefore approximate the change in bond value using the familiar (-Mod-Dur x $\Delta$ Yield) expression as <b>\$6,439,808</b> = (\$50 million x 0.91 x (-12.025 x <b>.0177</b> )). We can also use the Excel PRICE function to directly calculate the new price of <b>88.75</b> and multiply the price change of <b>-2.25</b> by the face value to get <b>\$1,125,000</b> . |
| Credit Spread Curve Strategies | Example 28 - Solution to 2 | 116    | 15 Feb 2024       | Replace:<br>The following table summarizes expected excess returns E [ExcessSpread] $\approx$ Spread0 - (EffSpreadDur x $\Delta$ Spread) - (POD x LGD) for each of the four rating categories with the expected 50% increase in both OAS and expected loss under the slowdown scenario. | With:<br>The following table summarizes expected excess returns E [ExcessSpreadReturn] $\approx$ Spread0 - (EffSpreadDur x $\Delta$ Spread) - (POD x LGD) for each of the four rating categories with the expected 50% increase in both OAS and expected loss under the slowdown scenario.  |
| Credit Spread Curve Strategies | Example 29 - Solution to 2 | 118    | 10 May 2024       | Replace:<br>CDX IG: 99.066 per \$100 face value, or 0.9966 (= 1 + (-0.2% x 34.67))  | With:<br>CDX IG: 99.066 per \$100 face value, or <b>0.99066</b> (= 1 + (-0.2% x 34.67))   |
| Practice Problems              | Practice Problem 12        | 135    | 15 August 2024    | Replace:<br>C. 2.70%  | With:<br>C. <b>5.45%</b>  |
| Practice Problems              | Practice Problem 12        | 135    | 17 September 2024 | Replace:<br>What is the expected excess spread of the BBB rated bond for a 50 bp decline in yield over a one-year holding period if the bond's LGD is 40% and the POD is 0.75%?   | With:<br>What is the expected excess spread <b>return</b> of the BBB rated bond for a 50 bp decline in yield over a one-year holding period if the bond's LGD is 40% and the POD is 0.75%?  |
| Practice Problems              | Practice Problem 17        | 136    | 15 Feb 2024       | Replace:<br>Which bond rating category offers the highest expected excess return if spreads <del>instantaneously</del> rise 10% across all ratings categories?  | With:<br>Which bond rating category offers the highest expected excess return if spreads <del>instantaneously</del> rise 10% across all ratings categories?   |
| Practice Problems              | Practice Problem 32        | 140    | 15 Feb 2024       | Replace:<br>What is the approximate unhedged excess return to the United States-based credit manager for an international credit portfolio index equally weighted across the four portfolio choices, assuming no change to spread duration and no changes to the expected loss occur?   | With:<br>What is the <b>expected</b> unhedged excess return to the United States-based credit manager for an international credit portfolio index equally weighted across the four portfolio choices, assuming no change to spread duration and no changes to the expected loss occur?  |

| Lesson    | Location       | PDF Pg | Revised        | Correction  |
|-----------|----------------|--------|----------------|---|
| Solutions | Solution to 12 | 143    | 15 August 2024 | <p>Replace:<br/>C is correct. The expected excess spread is equal to the change in spread multiplied by effective spread duration <math>(-(\text{EffSpreadDur} \times \Delta\text{Spread}))</math> less the product of LGD and POD, which we can solve for to get 2.70% <math>(= (-6 \times 0.50\%) - (0.75\% \times 40\%))</math>.</p> <p>With:<br/>C is correct. <b>The expected excess spread return is equal to the initial yield spread (Spread0) less the change in spread multiplied by the effective spread duration (EffSpreadDur* ΔSpread) less the product of POD and LGD, which we can solve for to get 5.45% <math>(= 2.75\% - (6 \times (-0.5\%)) - (0.75\% \times 40\%))</math>.</b></p> |

## Active Equity Investing: Portfolio Construction

| Lesson  | Location                  | PDF Pg | Revised        | Correction  |
|---|---------------------------|--------|----------------|---|
| Building Blocks of Active Equity Portfolio Construction | Paragraph above Exhibit 4 | 312    | 12 August 2025 | <p>Replace:<br/>Exhibit 4 shows the cumulative value of \$100 invested in both the Russell 1000 Growth Index and the Russell 1000 Value Index over a 10-year period ending in 2020. The Growth index produced superior performance over the full 10-year time span.</p> <p>With:<br/>Exhibit 4 shows the cumulative value of \$100 invested in both the Russell 1000 Growth Index and the Russell 1000 Value Index over a 10-year period ending in <b>2006</b>. The Growth index produced superior performance over the full 10-year time span.</p> |
| Allocating the Risk Budget                              | First paragraph           | 345    | 15 Feb 2024    | <p>Replace:<br/>The risk attribution in Exhibit 15 not only considers the Market factor but also adds a sector factor and a style factor.</p> <p>With:<br/>The risk attribution in <b>Exhibit 16</b> not only considers the Market factor but also adds a sector factor and a style factor.</p>   |
| Allocating the Risk Budget                              | Example 5 - Question 1    | 345    | 15 Feb 2024    | <p>Replace:<br/>Using the information in Exhibit 15, discuss key differences in the risk profiles of Manager A and Manager C.</p> <p>With:<br/>Using the information in <b>Exhibit 16</b>, discuss key differences in the risk profiles of Manager A and Manager C.</p>   |
| Allocating the Risk Budget                              | Example 5 - Solution to 2 | 346    | 10 May 2024    | <p>Replace:<br/>From Equation 8b (repeated below), the contribution of an asset to total portfolio variance is equal to the product of the weight of the asset and its covariance with the entire portfolio.</p> <p>Replace:<br/>From <b>Equation 9</b> (repeated below), the contribution of an asset to total portfolio variance is equal to the product of the weight of the asset and its covariance with the entire portfolio.</p>   |

| Lesson                   | Location         | PDF Pg | Revised     | Correction  |
|--------------------------|------------------|--------|-------------|---|
| Additional Risk Measures | Second paragraph | 349    | 15 Feb 2024 | <p>Replace:<br/>Exhibit 18 presents five different risk measures for the same three products discussed in Exhibit 15.</p> <p>With:<br/>Exhibit 18 presents five different risk measures for the same three products discussed in <b>Exhibit 16</b>.</p> |

## Portfolio Management, Vol. 4

## Hedge Fund Strategies

| Lesson                | Location        | PDF Pg | Revised     | Correction  |
|-----------------------|-----------------|--------|-------------|---|
| Specialist Strategies | Second sentence | 47     | 10 May 2024 | <p>Replace:<br/>At expiry of the swaps, the receiver of the floating leg pays the difference between the realized volatility (or variance) and the agreed-on strike times some prespecified notional amount that is not initially exchanged.</p> <p>With:<br/>At expiry of the swaps, the <b>player</b> of the floating leg pays the difference between the realized volatility (or variance) and the agreed-on strike times some prespecified notional amount that is not initially exchanged.</p> |

## Overview of Private Wealth Management

| Lesson    | Location       | PDF Pg | Revised     | Correction  |
|-----------|----------------|--------|-------------|---|
| Solutions | Solution to 12 | 266    | 10 May 2024 | <p>Replace:<br/>The mass affluent segment covers asset levels between \$250,000 and \$1 million and serves clients who are focused on building their portfolios and want help with financial planning needs.</p> <p>With:<br/>The mass affluent segment covers asset levels between <b>\$100,000</b> and \$1 million and serves clients who are focused on building their portfolios and want help with financial planning needs.</p> |

| Lesson | Location | PDF Pg | Revised | Correction |
|--------|----------|--------|---------|------------|
|        |          |        |         |            |

## Topics in Private Wealth Management

| Lesson  | Location                  | PDF Pg | Revised     | Correction   |
|---|---------------------------|--------|-------------|--|
| Measuring Tax Efficiency with After-Tax Returns | Equation bottom of page   | 288    | 15 Feb 2024 | <p>Replace:</p> $R_{PL} = \left[ (1 + R_1') (1 + R_2') \dots (1 + R_n') - \frac{\text{liquidation tax}}{\text{final value}} \right]^{1/n} - 1,$ <p>With:</p> $R_{PL} = \left[ (1 + R_1') (1 + R_2') \dots (1 + R_n') - \frac{\text{liquidation tax}}{\text{final value}} \right]^{1/n} - 1,$   |
| Measuring Tax Efficiency with After-Tax Returns | Example 4 – Solution to 1 | 289    | 15 Feb 2024 | <p>Replace:</p> <p>Therefore, the portfolio value net of the tax liability is <del>1.177; 1.197 – 0.02 = 1.177</del>,</p> <p>and the annualized post-liquidation return is <del>3.32%</del>: <del>1.177(1/5) – 1 = 3.32%</del>.</p> <p>This compares to an annualized return for the non-taxable investor of 4.13%</p> <p>With:</p> <p>Therefore, the portfolio value net of the tax liability is <b>1.173</b>: <b>1.197(1 – 0.02) = 1.173</b>,</p> <p>and the annualized post-liquidation return is 3.24%: <b>1.173(1/5) – 1 = 3.24%</b>.</p> <p>This compares to an annualized return for the non-taxable investor of 4.13%.</p> |
| Measuring Tax Efficiency with After-Tax Returns | Example 5 - Solution to 3 | 293    | 15 Feb 2024 | <p>Replace:</p> <p>Her after-tax return is 9.21%: <math>[(25,000 + 500) - (500 \times 0.535) - (25,000 \times 0.535)] / 130,000</math></p> <p>With:</p> <p>Her after-tax return is <b>9.12%</b> <math>[(25,000 + 500) - (500 \times 0.535) - (25,000 \times 0.535)] / 130,000</math></p>   |
| Measuring Tax Efficiency with After-Tax Returns | Example 5 - Solution to 5 | 294    | 15 Feb 2024 | <p>Replace:</p> <p>Her after-tax return is -2.99% <math>[(-10,000 + 500 - 500 \times 0.535 + 10,000 \times 0.535) / 130,000]</math>.</p> <p>With:</p> <p>Her after-tax return is <b>-3.40%</b> <math>[(-10,000 + 500 - 500 \times 0.535 + 10,000 \times 0.535) / 130,000]</math></p>   |



| Lesson                                  | Location                         | PDF Pg | Revised        | Correction   |   |
|---|----------------------------------|--------|----------------|--|---|
| Capital Accumulation and Asset Location | Example 7 – Solution to 2        | 299    | 9 October 2024 | <p>Replace:</p> <p>Total Equity</p> <p>...</p> <p>Total Fixed Income      \$5,000,000      \$7,500,000</p>   | <p>With</p> <p>Total Equity      <b>\$5,000,000</b>      <b>\$2,500,000</b></p> <p>...</p> <p>Total Fixed Income      <b>\$0</b>      <b>\$5,000,000</b></p>  |
| Introduction to Estate Planning         | Example 18 Question 1 & Solution | 333    | 10 May 2024    | <p>Replace:</p> <p>1. Considering the first year's tax-free gift associated with the annual exclusion, how much of his estate will Philippe have transferred on an inflation-adjusted basis in 20 years without paying estate tax?</p> <p>Solution:</p> <p>In 20 years, the future value (measured in real terms) equals <math>€20,000 \times [1 + 0.06(1 - 0.20)]^{20} = €51,080.56</math>. Note that although the gift was not subject to a wealth transfer tax, its subsequent investment returns are nonetheless taxable at 20%.</p> | <p>With:</p> <p>1. Considering the first year's tax-free gift associated with the annual exclusion, how much of his estate will Philippe have transferred <del>on an inflation-adjusted basis</del> in 20 years without paying estate tax?</p> <p>Solution:</p> <p>In 20 years, the future value (<del>measured in real terms</del>) equals <math>€20,000 \times [1 + 0.06(1 - 0.20)]^{20} = €51,080.56</math>. Note that although the gift was not subject to a wealth transfer tax, its subsequent investment returns are nonetheless taxable at 20%.</p> |
| Practice Problems                       | Question 6                       | 352    | 1 May 2024     | <p>Replace:</p> <p>6. The annualized after-tax post-liquidation return calculated by Chen is closest to:</p> <p>A. 4.41%.</p> <p>B. 5.62%.</p> <p>C. 5.92%</p>   | <p>With:</p> <p>6. The annualized after-tax post-liquidation return calculated by Chen is closest to:</p> <p>A. 4.41%.</p> <p><b>B. 5.56%.</b></p> <p>C. 5.92%</p>  |
| Solutions                               | Solution to 6                    | 358    | 1 May 2024     | <p>Replace:</p> <p>The portfolio value net of the unrealized gains tax liability is given by subtracting the assumed tax liability from capital gains at liquidation from the final after-tax portfolio value:</p> <p>Portfolio value net of the unrealized gains tax liability = <math>1.1882 - 0.01 = 1.1782</math>.</p> <p>Second, calculate the annualized post-liquidation return as follows:</p> <p><math>1.1782^{1/3} - 1 = 5.62\%</math></p>   | <p>With:</p> <p>The portfolio value net of the unrealized gains tax liability is given by <b>reducing the final after-tax portfolio value by the amount of the assumed tax liability from capital gains at liquidation</b>:</p> <p>Portfolio value net of the unrealized gains tax liability = <b>1.1882 (1-0.01) = 1.1763</b>.</p> <p>Second, calculate the annualized post-liquidation return as follows:</p> <p><b><math>1.1782^{1/3} - 1 = 5.562\%</math></b></p>   |
| Solutions                               | Solution to 9                    | 360    | 15 Feb 2024    | <p>Replace:</p> <p>Tax under FIFO = <math>(\\$124 - \\$153) \times 0.25 \times 200 = -\\$550</math> (tax loss or benefit)</p>  | <p>With:</p> <p>Tax under FIFO = <math>(\\$124 - \textbf{\\$135}) \times 0.25 \times 200 = -\\$550</math> (tax loss or benefit).</p>  |

| Lesson    | Location       | PDF Pg | Revised     | Correction   |  |
|-----------|----------------|--------|-------------|--|--|
| Solutions | Solution to 10 | 360    | 15 Feb 2024 | Replace:<br>The portfolio's risk-to-reward ratio is less than what could be achieved in the absence of the concentrated positions. | With:<br>The portfolio's risk-to-reward ratio <b>(the amount of risk Omo's portfolio has compared with the portfolio's potential returns)</b> is <b>higher</b> than what could be achieved in the absence of the concentrated positions. |

## Risk Management for Individuals

| Lesson                         | Location           | PDF Pg | Revised        | Correction   |  |
|--------------------------------|--------------------|--------|----------------|--|--|
| Risk Management Implementation | Exhibit 9 – X Axis | 417    | 15 August 2024 | Replace:<br>Probability of Having Enough Money over One's Lifetime | With:<br>Probability of <b>Not</b> Having Enough Money over One's Lifetime |

## Portfolio Management, Vol. 5

### Trade Strategy and Execution

| Lesson                     | Location                | PDF Pg | Revised        | Correction   |  |
|----------------------------|-------------------------|--------|----------------|--|--|
| Evaluating Trade Execution | Sentence above equation | 159    | 13 August 2025 | Replace:<br>The VWAP cost benchmark is computed as follows | With:<br>The <b>TWAP</b> cost benchmark is computed as follows |
| Solutions                  | Solution to 12 –        | 184    | 10 May 2024    | Replace:   | With:  |

| Lesson                     | Location                 | PDF Pg | Revised        | Correction   |  |
|----------------------------|--------------------------|--------|----------------|--|--|
| Evaluating Trade Execution | Sentence above equation  | 159    | 13 August 2025 | Replace:<br>The VWAP cost benchmark is computed as follows   | With:<br>The TWAP cost benchmark is computed as follows  |
|                            | Individual Risk Aversion |        |                | The portfolio managers at North Circle and Valley Ranch have different aversions to risk, with North Circle's managers having higher risk aversion than the Valley Ranch managers. | The portfolio managers at North Circle and Valley Ranch have different aversions to risk, with <b>Valley Ranch's</b> managers having higher risk aversion than the <b>North Circle</b> managers. |

## Portfolio Performance Evaluation

| Lesson   | Location                     | PDF Pg | Revised     | Correction  |   |
|--|------------------------------|--------|-------------|---|---|
| Fixed-Income Return Attribution                | First bullet after Exhibit 7 | 212    | 10 May 2024 | Replace:<br><ul style="list-style-type: none"> <li>The portfolio underperformed its benchmark by 20 bps</li> <li>...</li> <li>13 bps were added through bond selection.</li> </ul>  | With:<br><ul style="list-style-type: none"> <li>The portfolio underperformed its benchmark by <b>26 bps</b>.</li> <li>...</li> <li><b>7 bps</b> were added through bond selection.</li> </ul>   |
| Return Attribution Analysis at Multiple Levels | Third bullet                 | 220    | 15 Feb 2024 | Replace:<br>The large-cap value benchmark underperformed the total benchmark (-0.28% versus -0.03%). Because the portfolio was underweight large-cap value, this led to a positive allocation effect of 0.03.   | With:<br>The large-cap <b>growth</b> benchmark underperformed the total benchmark ( <b>-1.08%</b> versus -0.03%). Because the portfolio was underweight large-cap <b>growth</b> , this led to a positive allocation effect of 0.03.   |
| Benchmarks                                     | Last bullet                  | 233    | 10 May 2024 | Replace:<br>Investor (Mismeasured) Active Return = Mgr Return – Investor Benchmark return = (Mgr Return - Normal portfolio Return) + (Normal Portfolio Return - Investor Benchmark return) = True Active Return + Misfit Active Return = 18.0 – 20.0 = -9.0 + (-11.0) = -2.0% | With:<br>Investor (Mismeasured) Active Return = Mgr Return – Investor Benchmark return = (Mgr Return - Normal portfolio Return) + (Normal Portfolio Return - Investor Benchmark return) = True Active Return + Misfit Active Return = <b>(18.0 – 9.0) + (9.0 – 20.0) = 9.0+ (-11.0) = -2.0%</b> |

| Lesson  | Location   | PDF Pg | Revised        | Correction   |
|---|------------|--------|----------------|--|
| Performance Appraisal: Capture Ratios and Drawdowns | Exhibit 20 | 247    | 15 August 2024 | <p>Replace: “Recovery begins” under July 2020</p> <p>With: Move “Recovery begins” to <b>April 2020</b></p>   |
| Performance Appraisal: Capture Ratios and Drawdowns | Exhibit 21 | 248    | 15 August 2024 | <p>Replace: “Drawdown begins” label on chart with April</p> <p>With: Move “Drawdown begins” label on chart to January</p> <p>“Recovery begins” label on chart with September</p> <p>Move “Recovery begins” label on chart to April</p> |

## Investment Manager Selection

| Lesson  | Location   | PDF Pg | Revised       | Correction   |
|---|--|--------|---------------|--|
| A Framework for Investment Manager Search and Selection | Exhibit 1 Key Aspects – Quantitative Analysis    | 271    | 10 May 2024   | <p>Replace: <b>Quantitative Analysis</b></p> <p>Investment due diligence Which manager “best” fits the portfolio need?</p> <p>With: <b>Quantitative Analysis</b></p> <p><del>Investment due diligence Which manager “best” fits the portfolio need?</del></p>  |
| Practice Problems                                       | The following information relates to question 26 | 315    | 1 August 2024 | <p>Replace: Asked about Lyon’s regulatory context, Moore states, “The regulatory environment is strong and seeks to decrease information symmetries.”</p> <p>With: Asked about Lyon’s regulatory context, Moore states, “The regulatory environment is strong and seeks to decrease information <b>asymmetries</b>.”</p>   |
| Solutions   | Solution to 26 - Justification                   | 329    | 1 August 2024 | <p>Replace: The reliance of Lyon’s strategy on unique information is a drawback as it is difficult for Lyon to have an informational edge in a regulatory environment that seeks to reduce informational symmetries.</p> <p>With: The reliance of Lyon’s strategy on unique information is a drawback as it is difficult for Lyon to have an informational edge in a regulatory environment that seeks to reduce informational <b>asymmetries</b>.</p> |

## Case Study in Portfolio Management: Institutional

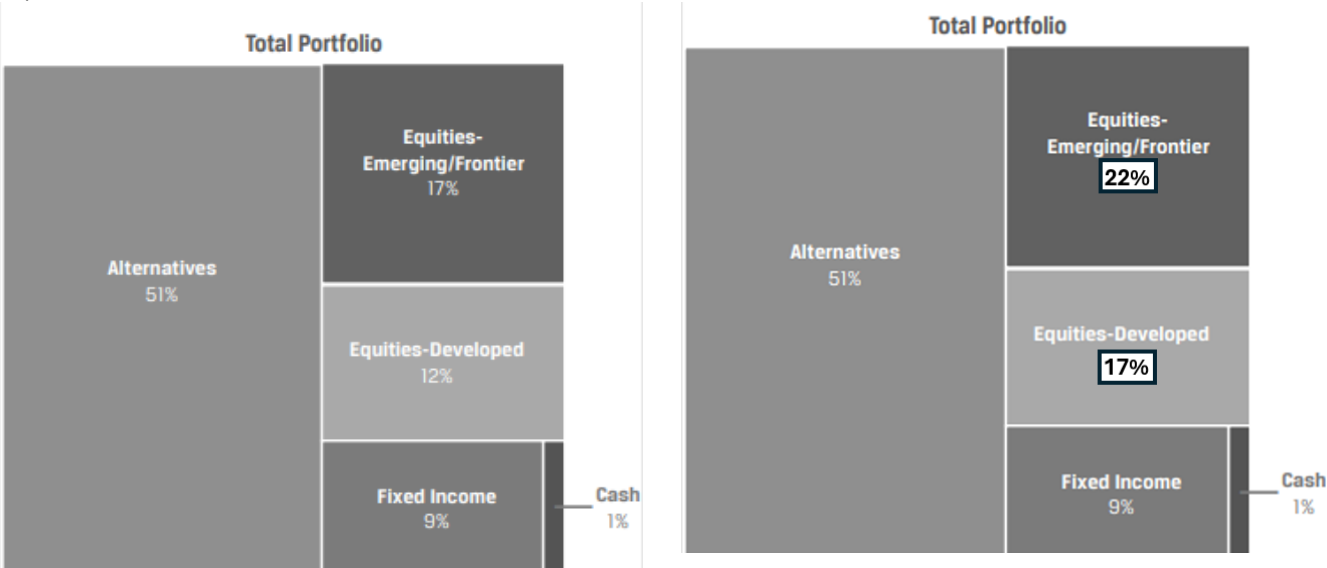
| Lesson                            | Location                | PDF Pg | Revised        | Correction  |
|-----------------------------------|-------------------------|--------|----------------|---|
| Quinco Case: Liquidity Management | Second to last sentence | 356    | 8 October 2024 | <div> Replace:<br/> The team's analysis of each portfolio's liquidity profile is shown in Exhibit 13 and 12. </div> <div> With:<br/> The team's analysis of each portfolio's liquidity profile is shown in Exhibit 13 and <b>14</b>. </div> |

## Case Study in Risk Management: Private Wealth

| Lesson  | Location               | PDF Pg | Revised       | Correction  |
|---|------------------------|--------|---------------|---|
| Identification and Analysis of Risk Exposures: Career Development Stage | Economic Balance Sheet | 407    | 1 August 2024 | <div> Replace:<br/> Net wealth                      391,000 </div> <div> With:<br/> Net wealth                      <b>371,000</b> </div> |

## Case Study in Risk Management: Institutional

| Lesson | Location | PDF Pg | Revised | Correction |
|--------|----------|--------|---------|------------|
|--------|----------|--------|---------|------------|

|            |   |     |             |          |  |
|------------|---|-----|-------------|----------|--|
| Case Study | Memo 2A: Asset Allocation and Performance – Graphic | 487 | 15 Feb 2024 | Replace: | With:  |
|            |   |     |             |          |  |

## Ethical and Professional Standards

### Overview of the Global Investment Performance Standards

| Lesson                     | Location                  | PDF Pg | Revised         | Correction     |
|----------------------------|---------------------------|--------|-----------------|----------------|
| Presentation and Reporting | 5 <sup>th</sup> paragraph | 336    | 4 November 2024 | Replace: With: |

| Lesson                      | Location | PDF Pg | Revised | Correction  |
|-----------------------------|----------|--------|---------|---|
| Requirements for Composites |          |        |         | Applying Equation 11 and 12 to the data given in Exhibit 7, we find that the asset-weighted standard deviation is 21 bps (0.21%).<br>Applying <b>Equation 10 and 11</b> to the data given in Exhibit 7, we find that the asset-weighted standard deviation is 21 bps (0.21%). |

## Glossary

| Lesson   | Location | PDF Pg | Revised         | Correction   |
|----------|----------|--------|-----------------|--|
| Glossary | Trust    | G-10   | 30 October 2024 | Replace:<br>Trust A legal is a vehicle through which an individual (called a settlor) entrusts certain assets to a trustee (or trustees) who manages the assets for the benefit of assigned beneficiaries. A trust may be either a testamentary trust—a trust created through the testator’s will—or a living or inter-vivos trust—a trust created during the settlor’s lifetime.<br><br>With:<br>Trust <b>A trust is a legal vehicle</b> through which an individual (called a settlor) entrusts certain assets to a trustee (or trustees) who manages the assets for the benefit of assigned beneficiaries. A trust may be either a testamentary trust—a trust created through the testator’s will—or a living or inter-vivos trust—a trust created during the settlor’s lifetime. |